

<b>Course number</b>		U-LAS10 20006 LE55					
<b>Course title (and course title in English)</b>		Advanced Linear Algebra Advanced Linear Algebra		<b>Instructor's name, job title, and department of affiliation</b>		Graduate School of Engineering Associate Professor, Chang, Kai-Chun	
<b>Group</b>		Natural Sciences		<b>Field(Classification)</b>		Mathematics(Development)	
<b>Language of instruction</b>		English		<b>Old group</b>		Group B	
				<b>Number of credits</b>		2	
<b>Number of weekly time blocks</b>		1		<b>Class style</b>		Lecture (Face-to-face course)	
				<b>Year/semesters</b>		2025 • First semester	
<b>Days and periods</b>		Fri.2		<b>Target year</b>		2nd year students or above	
				<b>Eligible students</b>		For science students	
<b>[Overview and purpose of the course]</b>							
<p>Linear Algebra is an important tool commonly used in many fields, in not only mathematics but also natural sciences, engineering, etc. This course extends the contents in "Linear Algebra A/B" courses (provided majorly for 1st year students) and discusses advanced concepts of linear algebra, such as orthogonality, diagonalization, Singular Value Decomposition (SVD) of a matrix, Jordan canonical form, and their applications to real-world problems, etc.</p>							
<b>[Course objectives]</b>							
<ul style="list-style-type: none"> <li>• To acquire the advanced concepts of linear algebra, such as orthogonality, diagonalization, SVD of matrix.</li> <li>• To understand the applications of linear algebra to real-world problems.</li> </ul>							
<b>[Course schedule and contents)]</b>							
<p>1. Review of linear algebra [2 weeks]  - Big picture, rank, dimension, LU/LDU factorization, Gauss-Jordan elimination, etc.  - vector spaces, subspaces, nullspace, complete solutions, four subspaces and their dimensions and orthogonality, etc.</p> <p>2. Orthogonality and its applications [3 weeks]  - Orthogonality and orthogonality complement, projections, least square approximations, orthogonal bases, Gram-Schmidt process, etc.</p> <p>3. Eigenvalues, eigenvectors, and their applications [4 weeks]  - Eigenvalues and eigenvectors, diagonalization, matrix power, singular value decomposition (SVD) and their application to difference equations, differential equations and Markov process, etc.</p> <p>4. Jordan canonical form [3 weeks]  - minimal polynomials, generalized eigenvectors, Jordan canonical form, and their applications.</p> <p>5. Optional topics [2 weeks]  - numerical solutions, complex vectors and matrices, other applications, etc.</p> <p>6. Feedback [1 week]</p>							
<div style="text-align: right;">Continue to Advanced Linear Algebra(2)</div>							

## Advanced Linear Algebra(2)

### [Course requirements]

Suggested prerequisites: Calculus A/B and Linear Algebra A/B or Calculus with Exercises A/B and Linear Algebra with Exercises A/B.

### [Evaluation methods and policy]

Quizzes or assignments (50%); final examination (50%)

### [Textbooks]

Not used

### [References, etc.]

#### ( References, etc. )

Strang, G. (2009) 『 Introduction to Linear Algebra. 5th ed. 』 ( Wellesley-Cambridge Press )

Lipschutz, S. and Lipson, M. (2012) 『 Linear Algebra, 6th ed. 』 ( McGraw-Hill )

### [Study outside of class (preparation and review)]

Students are expected to spend at least 2 hours per week on preview and review. More than half of that time is spent preparing for class and doing assignments.

### [Other information (office hours, etc.)]

Any inquiry to the instructor: chang.kaichun.4z{at}kyoto-u.ac.jp. (replace {at} with @)

### [Essential courses]